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#### Introduction

Fair value, market value, and termination value are all labels used to describe a swap's changing market value. From the moment a swap's price is set and locked-in, its market value will increase or decrease as swap rates rise or fall, in the same way a fixed-rate bond's value changes over time.

This paper describes a simple method to approximate a swap's value with a minimum of inputs and calculations.

#### Value as the Difference in Future Cash Flows

Any derivative's value is a function of the difference between its contract price and the current market price for a similar contract. For an interest rate swap, this is the difference between its fixed rate and the current market fixed rate for a swap with *similar* terms. The difference in rates defines a set of future cash flows, which can then be discounted back to today (present-valued) to determine the swap's market value.

#### Example

To illustrate a swap's market value calculation, suppose a borrower has a swap with a bank with the following swap details:

|                             |                     |
|-----------------------------|---------------------|
| Notional Principal:         | \$10 million        |
| Remaining Maturity of Swap: | 5-years             |
| Fixed Rate:                 | 4.00%, paid monthly |
| Floating Rate:              | 1-mo LIBOR          |
| Fixed Rate Payer:           | Company             |

Let's also suppose that the current market rate for a similar 5-year swap is 3.50%. Notice that we are not concerned with current market rate corresponding to the *original term* of the swap, which was obviously longer than 5 years. The only thing relevant is how much time is remaining.

#### Calculation

The difference between contract and market rates is .50% (4.00% less 3.50%). Since the fixed rate being paid by the company is higher than the current market, the swap value is negative from the

company's point of view; negative because it is an opportunity cost to the company (if the company had waited until today to execute the swap, it could have saved .50% on the rate).

|                         |   |
|-------------------------|---|
| Cash flow differential: | .50% monthly on \$10 million (-\$4,167/month)                               |
| Remaining term:         | 5 years (60 months)   |
| Total cash flow flows:  | -\$250,000 (-\$4,167 x 60)  |
| Discounted at 3.50%:    | -\$225,000 (we use the current market rate to present-value the cash flows) |

Therefore, the market value of the swap from the company's point of view is -\$225,000. The company would have to pay this amount to its counterparty in order to terminate the swap.

*Accrued Interest* - There is one last adjustment we need to make to our value calculations. Since the comparative current market swap rate will assume an immediately-starting structure, we need to add the current swap's accrued interest to our calculated value in order to arrive at an accurate final value.

## **Discussion**

The valuation method above will give an *approximate* value for the swap. A more accurate valuation (one needed for counterparty negotiating purposes) would require a much more complicated set of calculations. Here are some of the issues to focus on:

*Market Rate* - Obtaining the representative current market rate for the swap is critical to the valuation process, and its value will be a main negotiating point. The bank counterparty will argue for why the rate should be further in the direction that benefits them, etc. If a swap is non-amortizing, a market rate may be interpolated from current generic market data. If the structure is amortizing, a weighted-average-life calculation can be used, but this will decrease the accuracy of the valuation.

*Index* - The variable index must be considered when determining the current market rate. 3-month LIBOR carries different pricing from 1-mo LIBOR, Prime, etc.

*Discount Rate* - In our calculations above, we used the current swap market rate to discount the cash flows. To be entirely accurate, one would use a unique interest rate for each future cash flow, using a "zero-curve" methodology.

*Other types of Derivative Contracts (commodity, foreign exchange, option)* - These can be valued using the same method outlined above; discounting the cash flow differential between the contract and market rates. Option contracts are more difficult to value, since they require a more sophisticated pricing model and more market-based inputs.

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